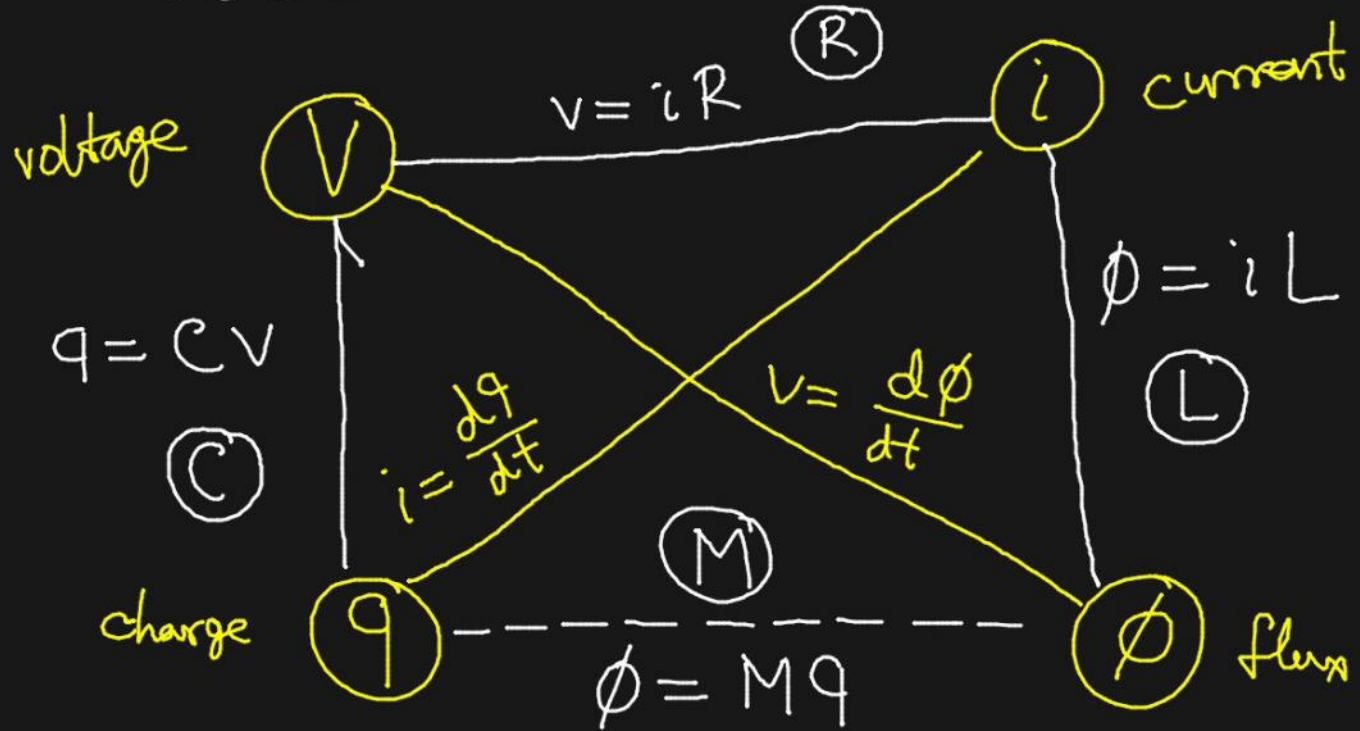


# Memristor



$$\phi = Mq$$

$$\therefore d\phi = M dq$$

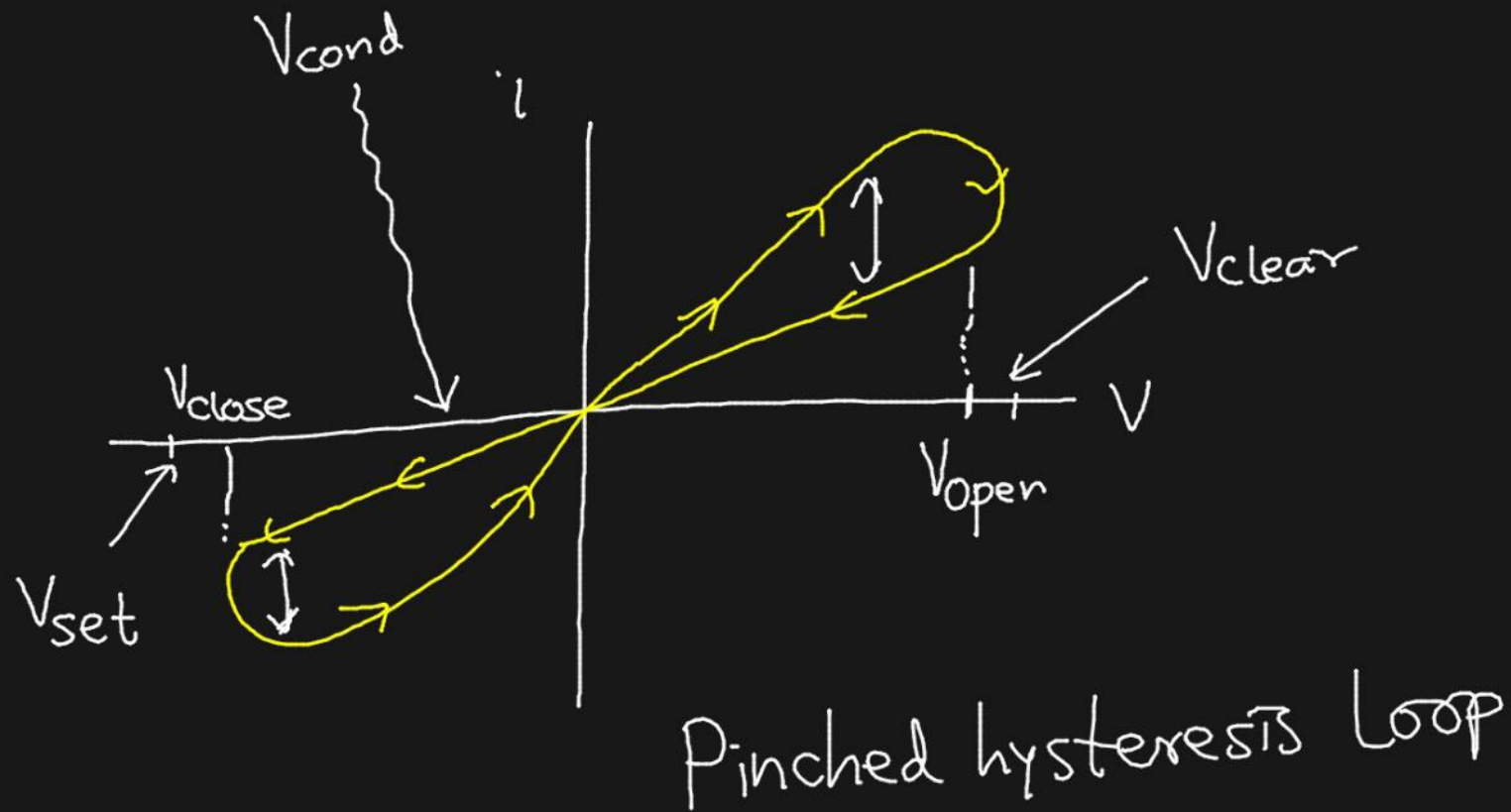
$$M = \frac{d\phi}{dq}$$

$$= \frac{d\phi/dt}{dq/dt}$$

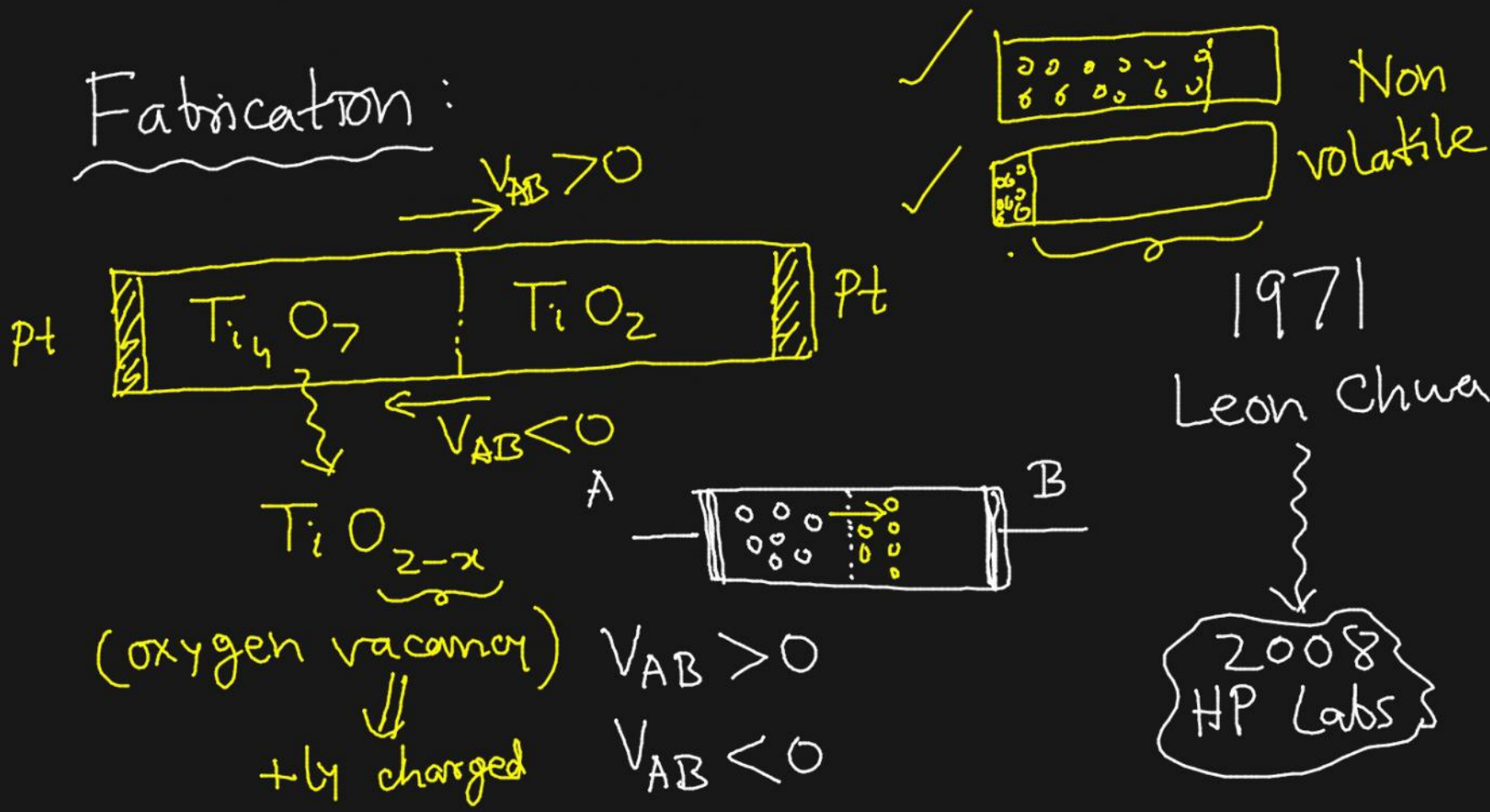
$$= \frac{v}{i}$$

⇒ unit of ohms

Missing Link  
Relationship



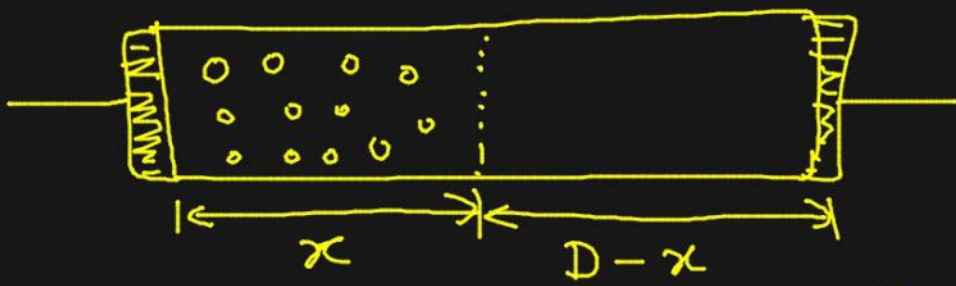
Hystereris



## TiO<sub>2</sub>-Fabrication

# Memristor Fabrication:

$$R_{off} \gg R_{on}$$



Pure  $TiO_2$

High resistance

Doped  $TiO_2$

( $Ti_4O_7$ )

Low resistance

$R_{on}$  = resistance when  $x = D$

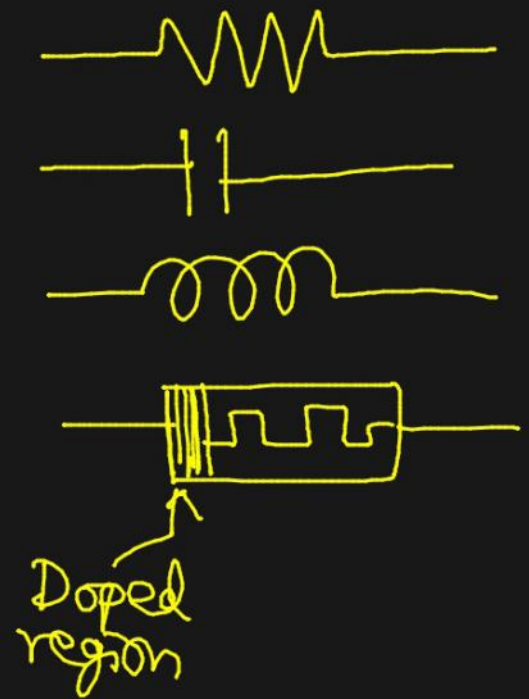
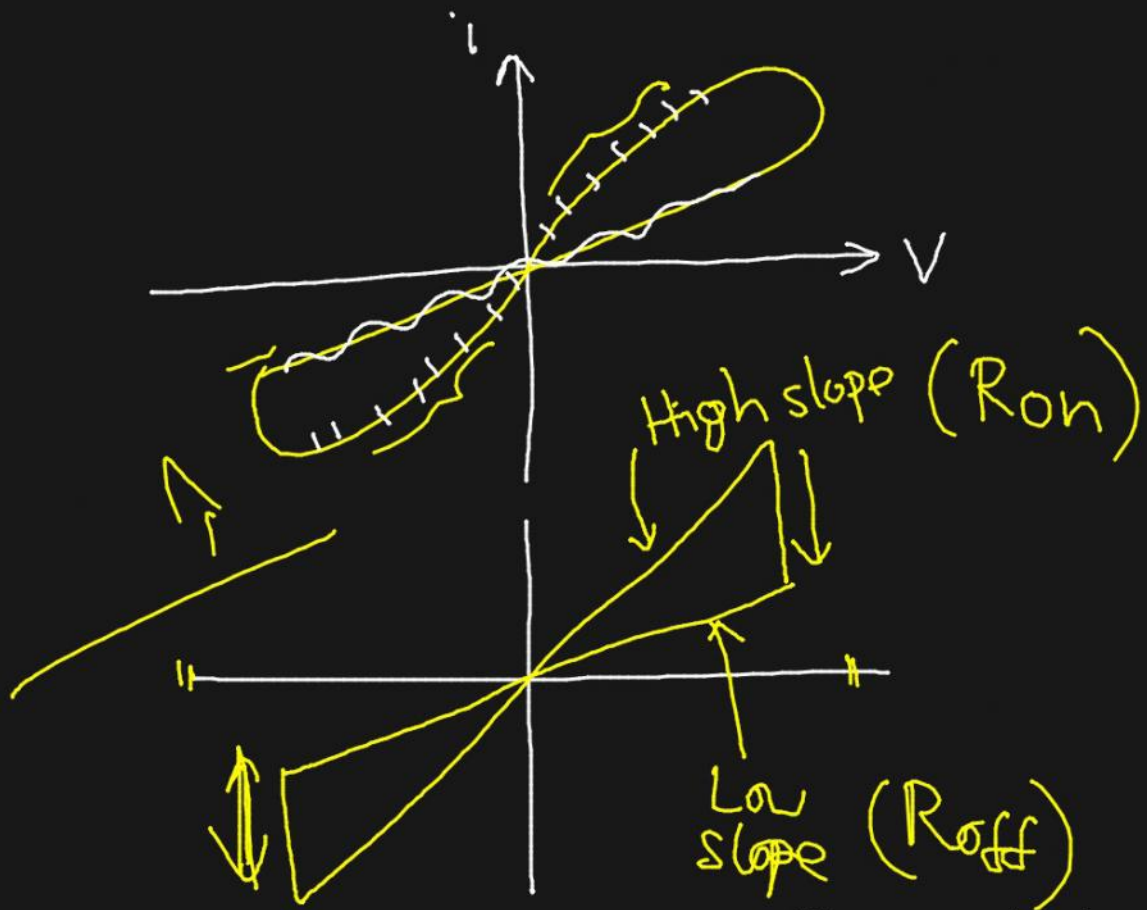
$R_{off}$  = " "  $x = 0$

Memristance

$$M = R_{on} \cdot \frac{x}{D} + R_{off} \cdot \frac{D-x}{D}$$

Function of  $x$

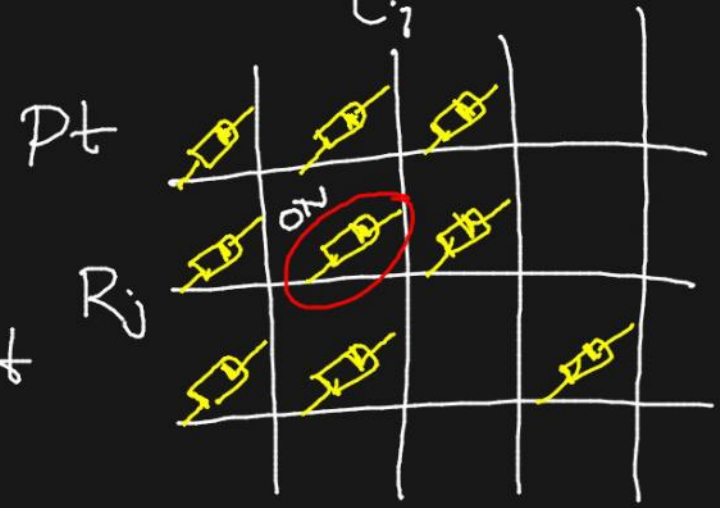
**TiO<sub>2</sub>-Length-Fabrication**



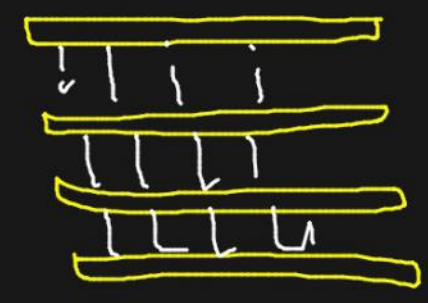
Hysteresis-Approximation



$C_i \sim R_j$   
 $C_j$



Cross-section  
 $10 \text{ nm}^2$   
Height: 50 nm



Crossbar-Layout

Stacked Vertically

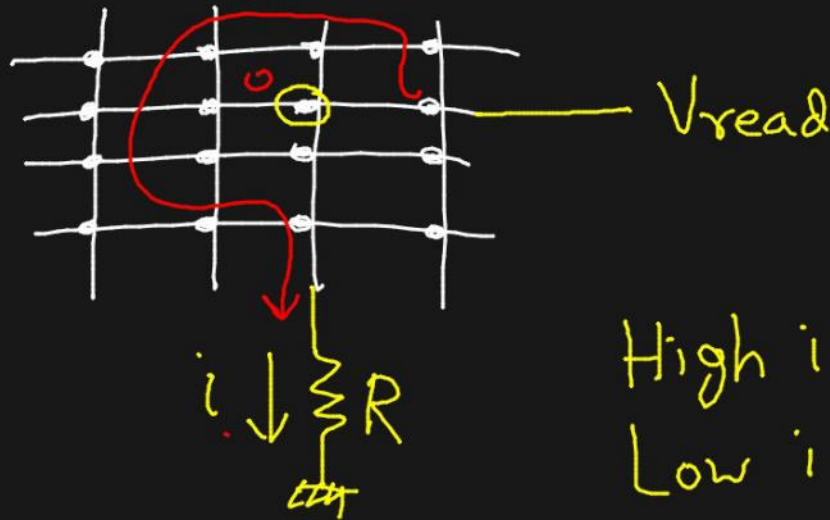


## Crossbar:

- \* Very high density  
( $\approx$  Terra =  $10^{12}$  memristors/chip)
- \* Resistive memory  
 $R_{on} = 1$ ,  $R_{off} = 0$  || Non-volatile memory
- \* Carry out logic operations

**Crossbar-Density**

# Sneak Paths:

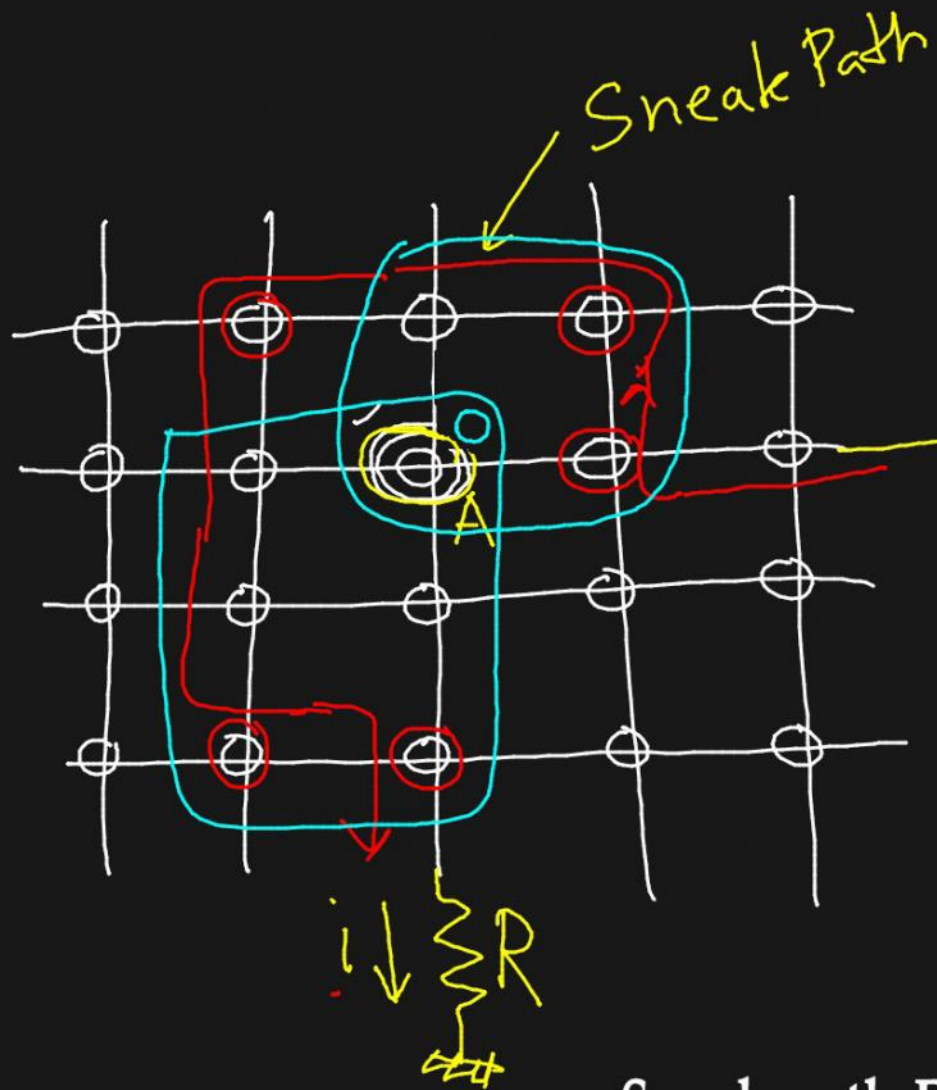


Read  $\Rightarrow$  problems  
 $\downarrow$   
Parallel current  
flowing paths

High  $i$  :  $R_{on}$  (1)  
Low  $i$  :  $R_{off}$  (0)

Sneak-path-Basic





## Isolated Zero Rectangle

\* Imaginary rectangle



A single 0 in the four corners.

⇓  
Possibility of sneak path

Sneak-path-Detection